Introduction to Information Retrieval CS 221
Donald J. Patterson

Content adapted from Hinrich Schütze http://www.informationretrieval.org

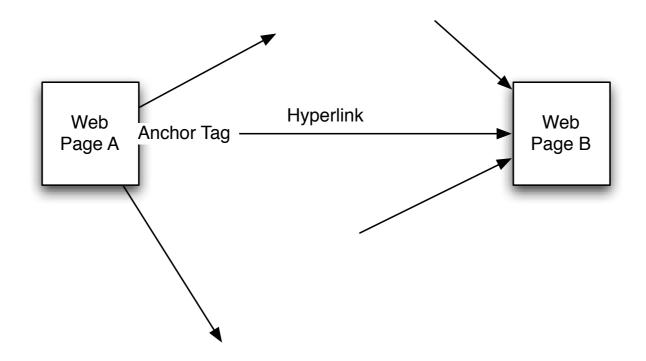


Outline

• The web as a directed graph



The web as a directed graph



- Assumption 1: A hyperlink between pages denotes author perceived relevance (quality signal)
- Assumption 2: The anchor of the hyperlink describes the



The web as a directed graph

- Assumption 1: A hyperlink between pages denotes author perceived relevance (quality signal)
- Assumption 2: The anchor of the hyperlink describes the target page (textural context)

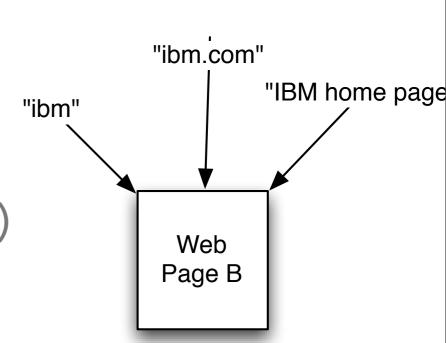
• Where might these assumptions not hold?



The web as a directed graph

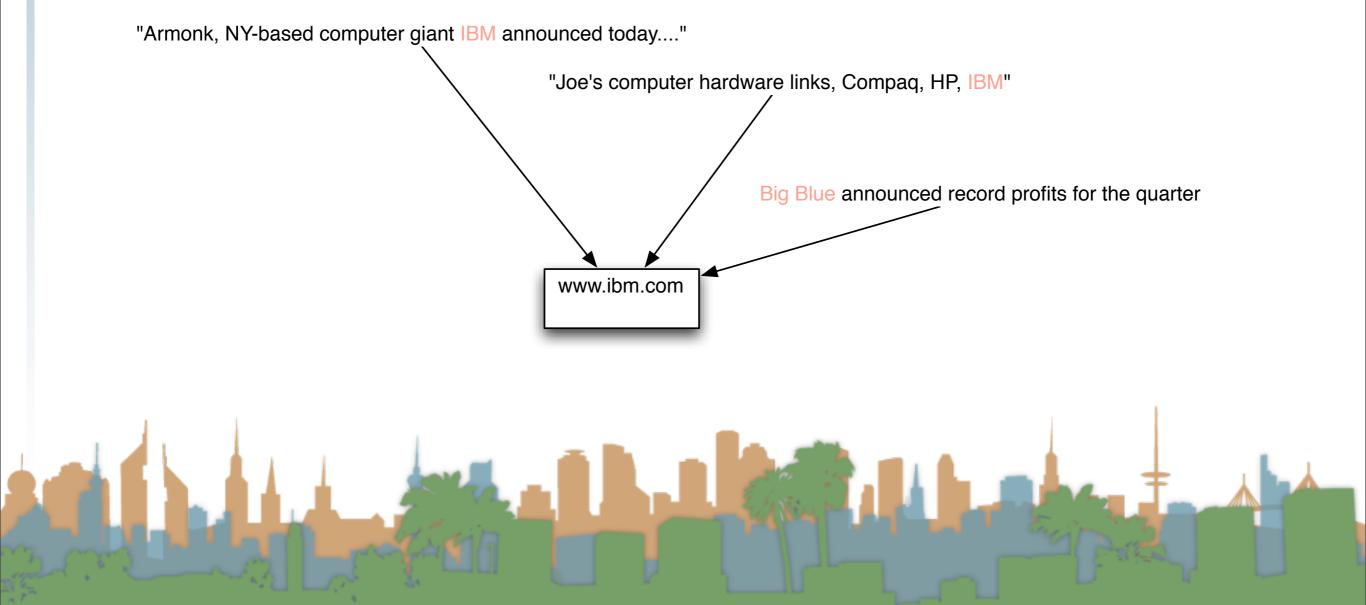
- **Anchor Text**
 - WWW Worm -McBryan94
- For IBM how do you distinguish between
 - IBM's home page (mostly graphics)
 - IBM's copyright page (high TF for "ibm)
 - Rival spam page (high TF for "ibm")
- A million pieces of anchor text with "ibm" send a strong





Indexing anchor text also

- When indexing a document D
 - include anchor text from links pointing to D



Indexing anchor text

- Anchor text is often a better description of a page's content than the page itself.
- Can be weighted more highly than the text
 - If enough anchor text is available
 - Same technique as zone weighting
 - create a "zone" for anchor text
- Indexing anchor text can have unexpected side effects
 - Google bombs, miserable failure
- nigritude ultramarine follow-on

Anchor text

- Other applications
 - Weighting links in the graph
 - Generating page descriptions from anchor text



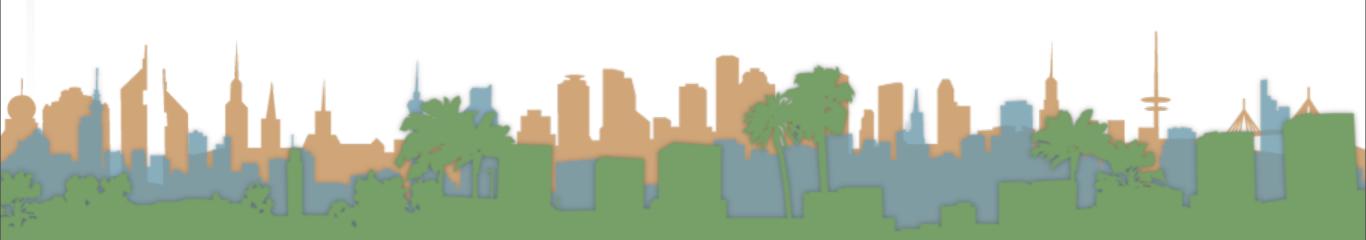
PageRank

- Citation analysis:
 - Analysis of citations in the scientific literature
 - Example citation:
 - "Miller (2001) has shown that physical activity alters the metabolism of estrogens"



The web as a directed graph

- Link Analysis/PageRank has its origins in bibliometrics
 - "Measurement of influence among publications based on citations"
 - Just as citing a paper confers authority upon it, linking to a page confers authority to it.

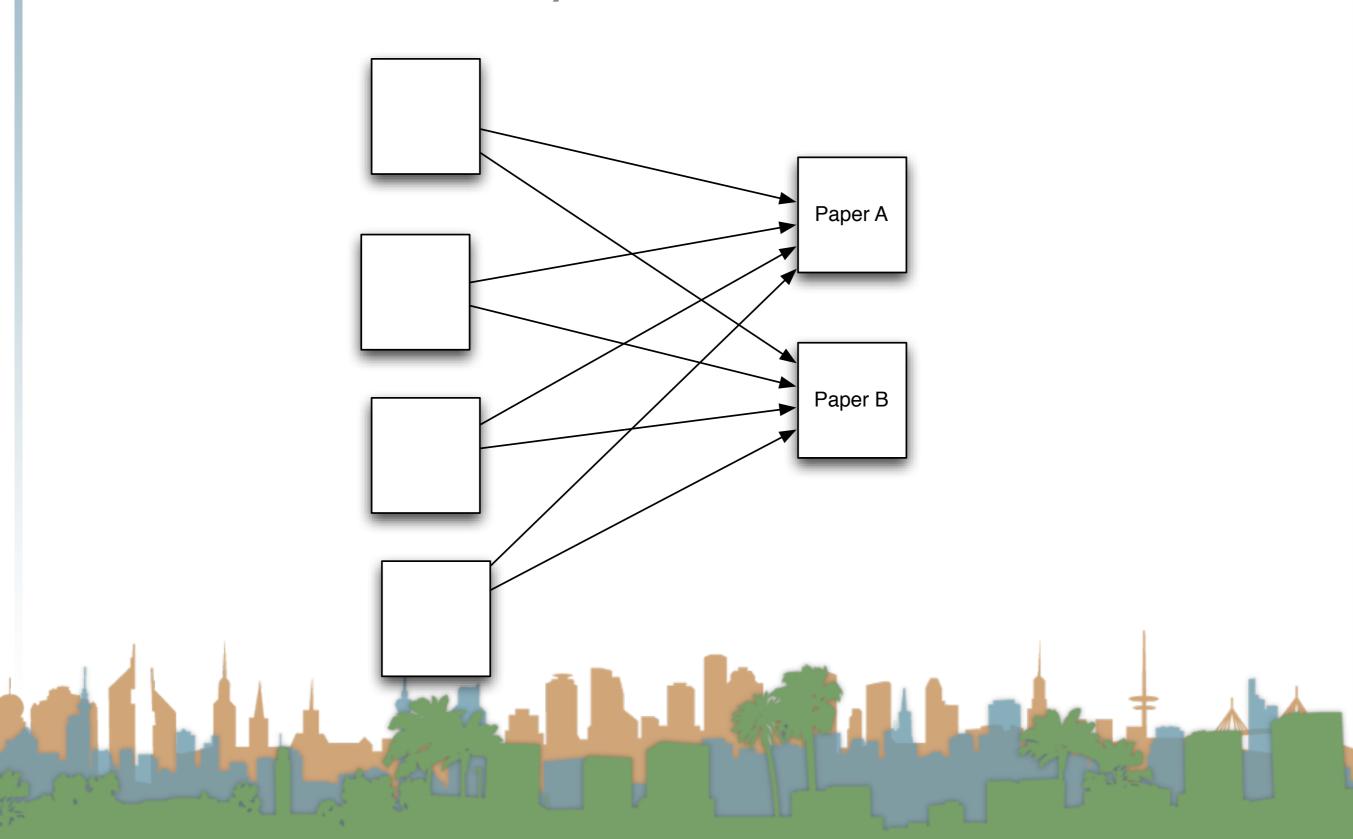


Bibliometrics

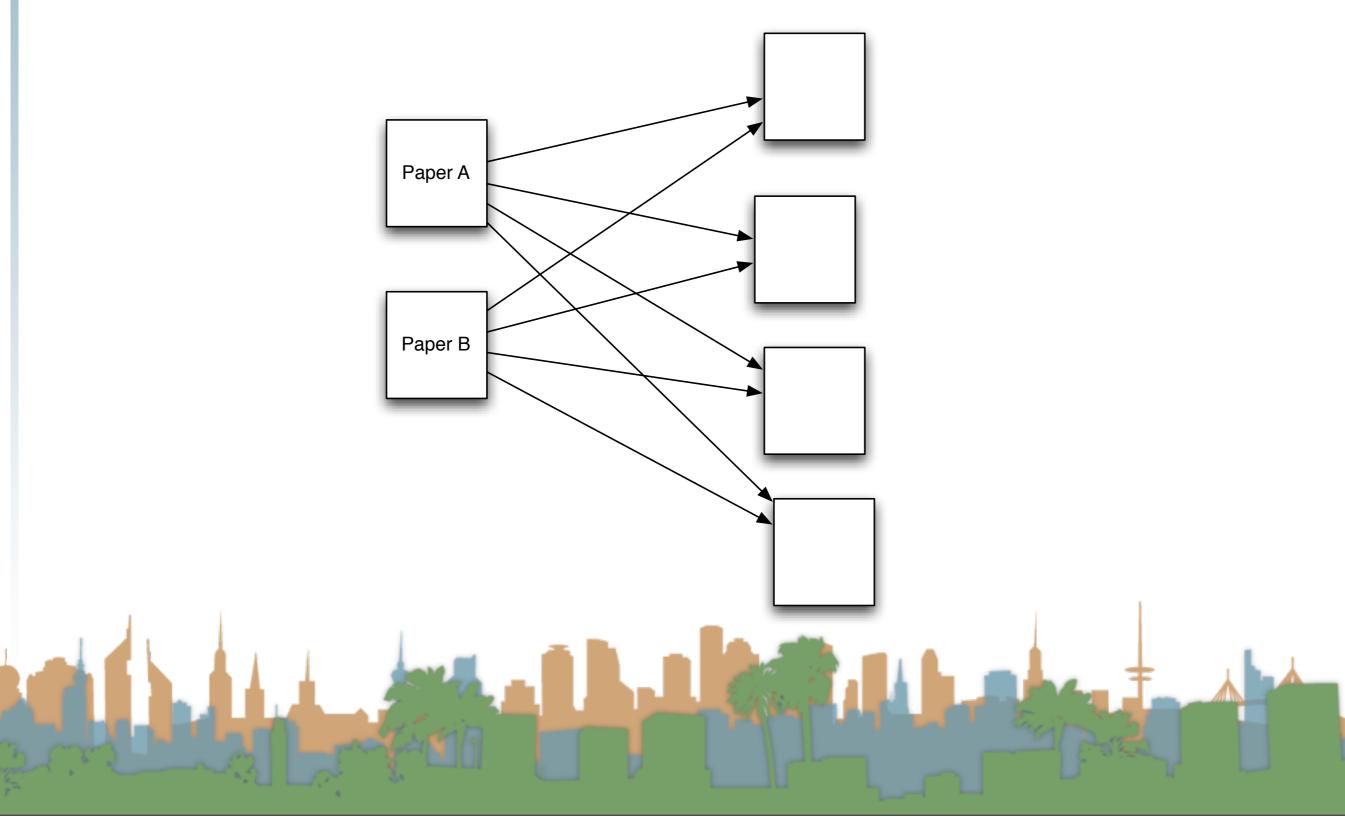
- Two ways of measuring similarity of scientific articles:
 - Cocitation similarity: The two articles are cited by the same articles
 - Bibliographic coupling similarity: The two articles site the same articles



Co-citation similarity



Bibliographic coupling similarity



Bibliometrics

- Citation frequency can be used to measure impact
 - Each article gets one vote
 - Not a very accurate measure
- Better measure: weighted citation frequency/ citation rank
 - An article's vote is weighted according to its citation impact.
 - Sounds circular, but can be formalized in a well-defined way
 - This is basically PageRank
 - Invented for citation analysis in the 1960's by Pinsker and



Key Observation

• A citation in scientific literature is like a link on the web



- A full search engine ranks based on many different scores
 - Cosine similarity
 - Term proximity
 - Zone scoring
 - Contextual relevance (implicit queries)
 - Link analysis



Link based query ranking

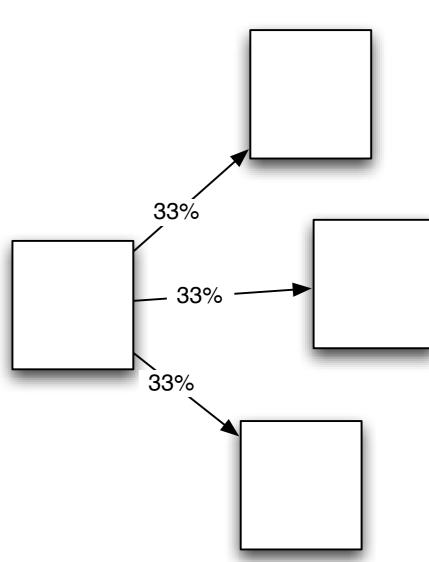
- Retrieve all pages meeting the query
 - First generation:
 - Then order them by their link popularity
 - citation frequency
 - Easy to spam. Why?
 - Second generation:
 - Order them by their weighted link popularity
 - PageRank



PageRank

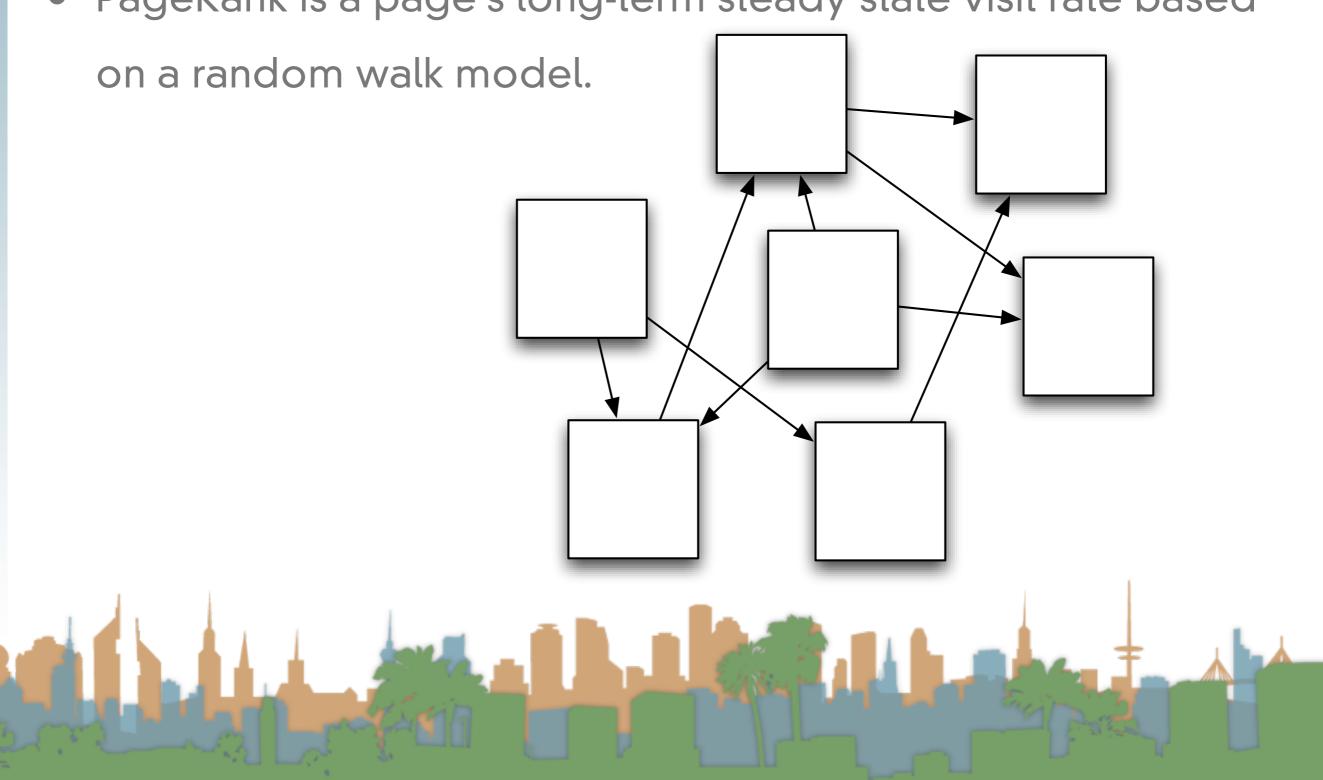
- Every webpage gets a score
 - between 0 and 1
 - it's PageRank
- The random walk
 - Start at a random page
 - Follow an out edge with equal probability
- In the long run each page has a





PageRank

PageRank is a page's long-term steady state visit rate based

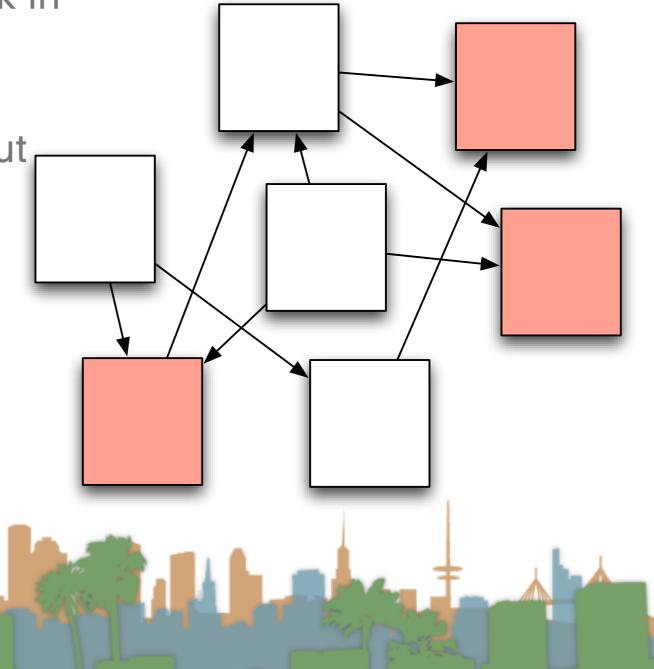


Visit Rate not quite enough

The web is full of dead-ends

A random walk can get stuck in dead-ends

 Makes no sense to talk about long-term visit rates



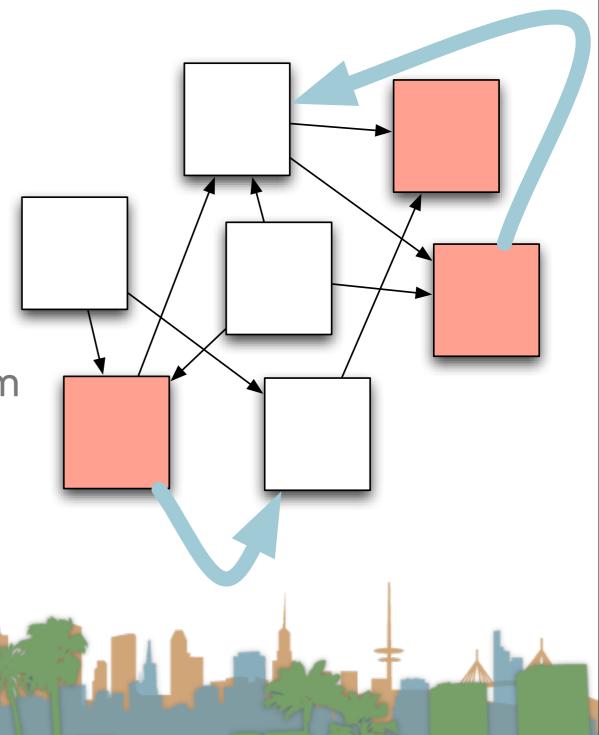
Teleporting

At a dead end, jump to a random web page

 at any non-dead end, with probability 10% jump to a random web page anyway

the other 90% choose a random out link

• "10%" is a tunable parameter

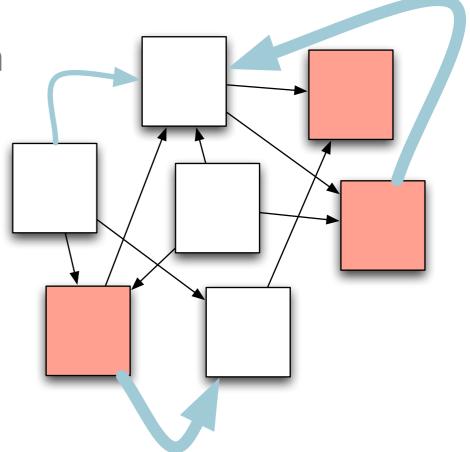


Teleporting

Now we cannot get stuck locally

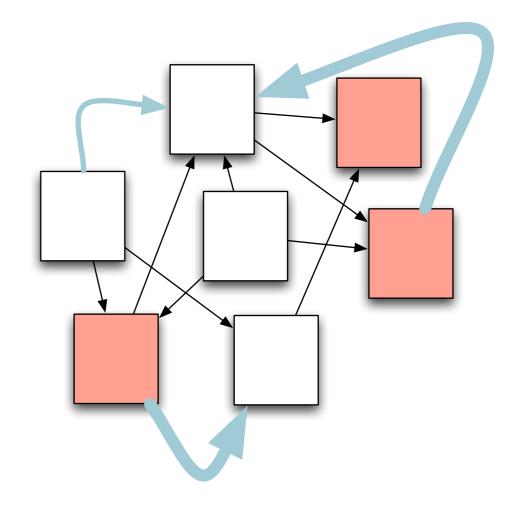
 There is a long-term visit rate at which any page is visited.

- How do we compute the visit rate?
 - How do we compute PageRank?
- (By the way this is a Markov Chain)



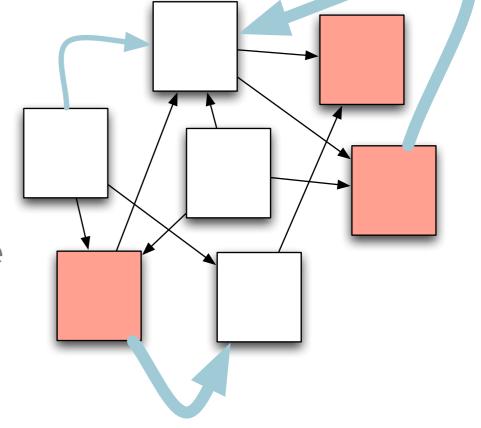


- A Markov Chain is a mathematical "game"
- It consists of n states
 - corresponds to web pages
- And a transition probability matrix
 - corresponds to links
 - it is like an adjacency matrix





- At any moment in the game we are in one of the states
- In the next step we move to a new state
- We use the transition matrix to decide which state to move into.
- If you are in state "i" then the probability of moving into state "j" is





- Markov Chains are described by two parameters:
 - A list of n states
 - An (n by n) transition probability table
 - It's like a graph, except that links aren't boolean, they are real numbers.
 - A link doesn't just exist or not exist
 - It exists with a probability also

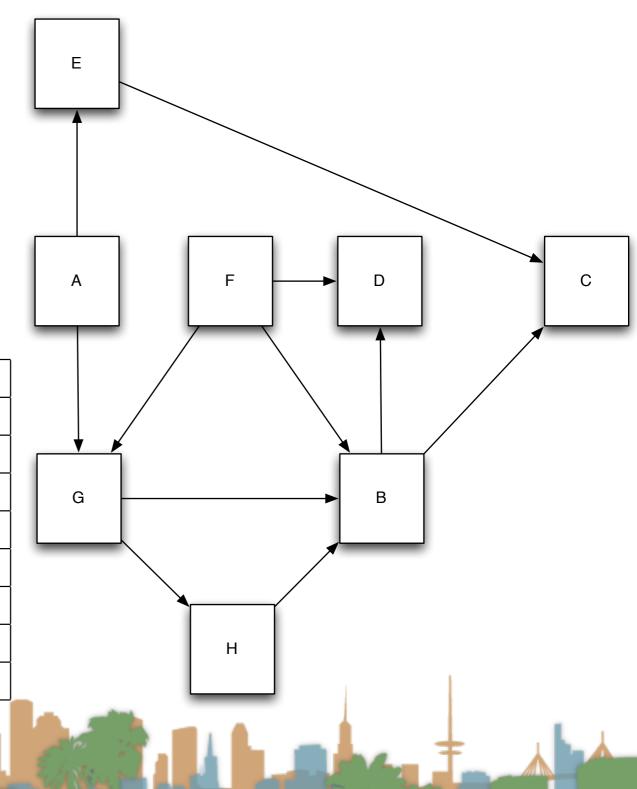


Exercise

Compute the parameters of the Markov Chain for this graphical В С model Α F D G Ε

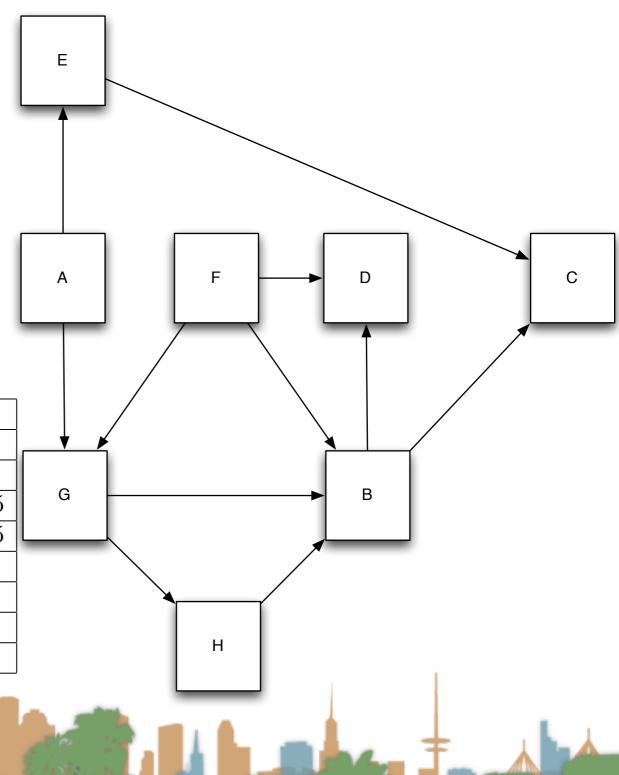
- Example:
 - 8 states
 - (web pages or whatever)
 - 8 by 8 transition prob. matrix

	A	B	C	D	$oxed{E}$	F	G	H
\overline{A}	0	0	0	0	0.5	0	0.5	0
\overline{B}	0	0	0.5	0.5	0	0	0	0
\overline{C}	0	0	0	0	0	0	0	0
\overline{D}	0	0	0	0	0	0	0	0
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0



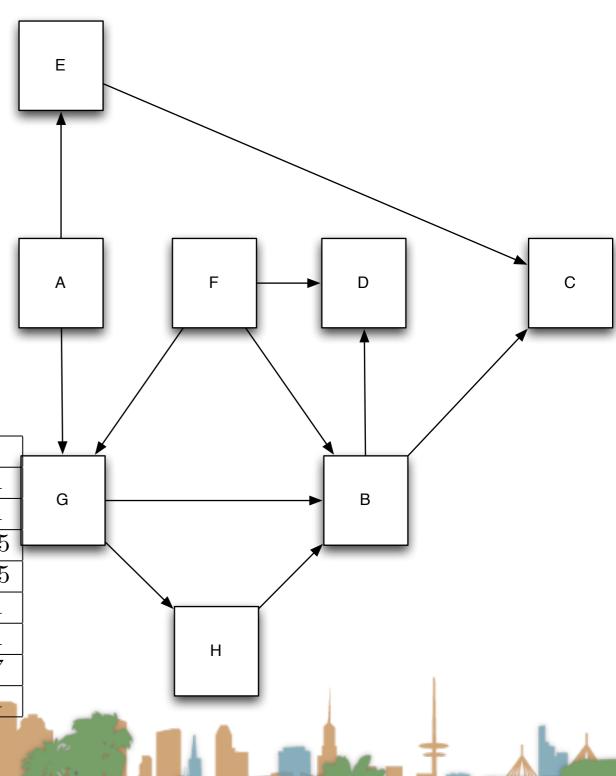
- Example:
 - 8 states
 - 8 by 8 transition prob. matrix
 - Handle Dead-Ends also

	A	B	C	D	$\mid E \mid$	F	G	$\mid H \mid$
\overline{A}	0	0	0	0	0.5	0	0.5	0
B	0	0	0.5	0.5	0	0	0	0
\overline{C}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0



- Example:
 - 8 states
 - 8 by 8 transition prob. matrix
 - Handle Dead-Ends also
 - Handle teleports

	A	B	C	D	E	F	G	H
\overline{A}	0.01	0.01	0.01	0.01	0.47	0.01	0.47	0.01
\overline{B}	0.01	0.01	0.47	0.47	0.01	0.01	0.01	0.01
C	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0.01	0.01	0.93	0.01	0.01	0.01	0.01	0.01
\overline{F}	0.01	0.32	0.01	0.32	0.01	0.01	0.32	0.01
\overline{G}	0.01	0.47	0.01	0.01	0.01	0.01	0.01	0.47
\overline{H}	0.01	0.93	0.01	0.01	0.01	0.01	0.01	0.01

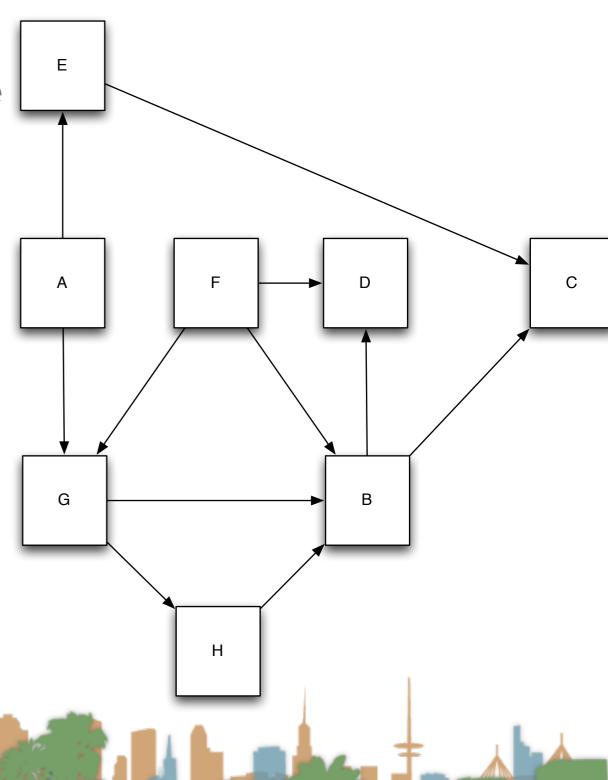


Markov Chain: The Game

You may be in one state at a time

 Every tick you move one step chosen randomly from the transition probability matrix

	A	B	C	D	E	F	G	H
\overline{A}	0	0	0	0	0.5	0	0.5	0
\overline{B}	0	0	0.5	0.5	0	0	0	0
\overline{C}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0

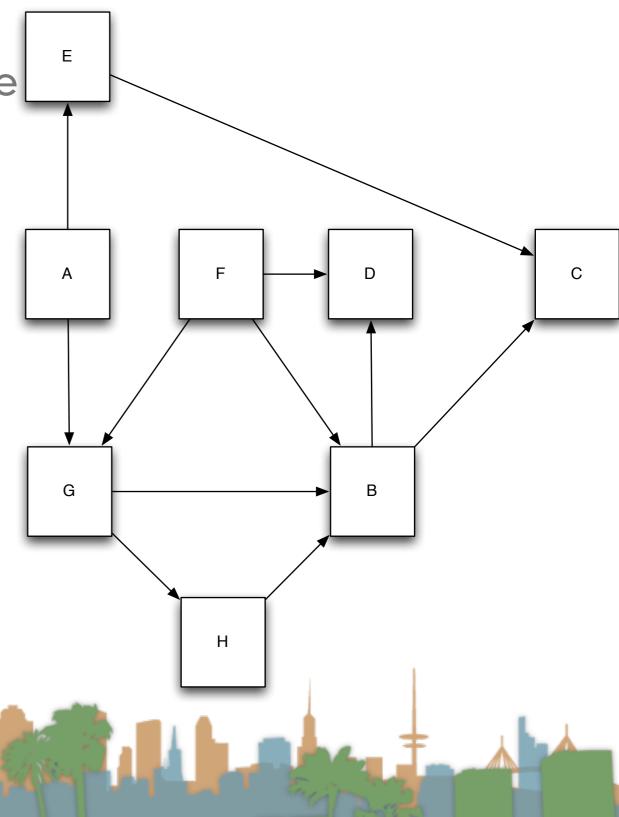


The Markov Property

 It doesn't matter where you came from.

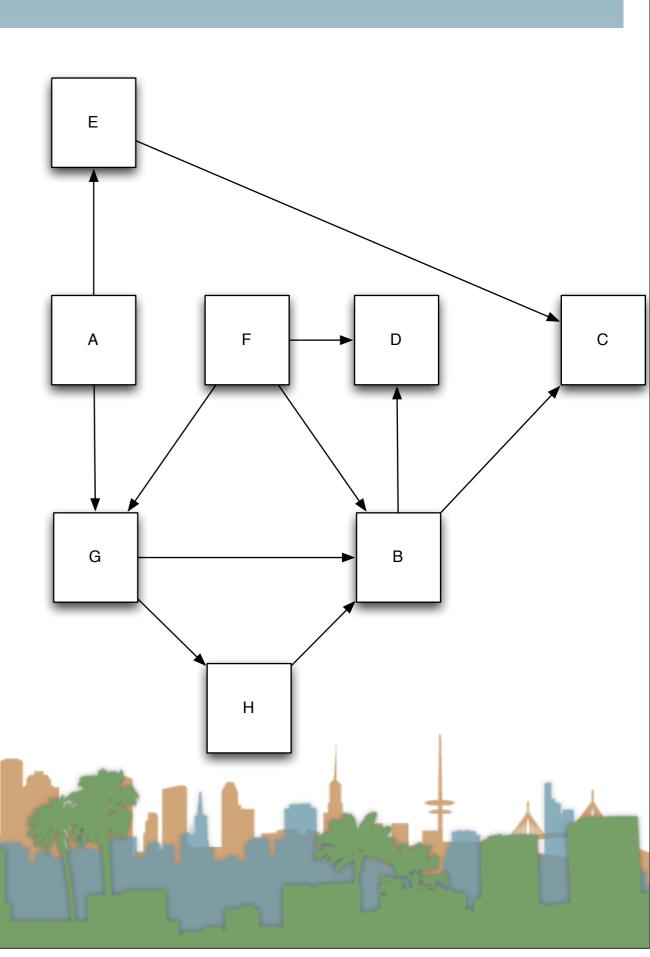
 All information that you need to take the next step comes from your current state and the transition probability matrix

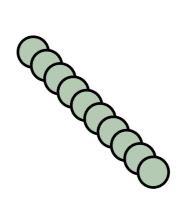
 History is irrelevant given your current state



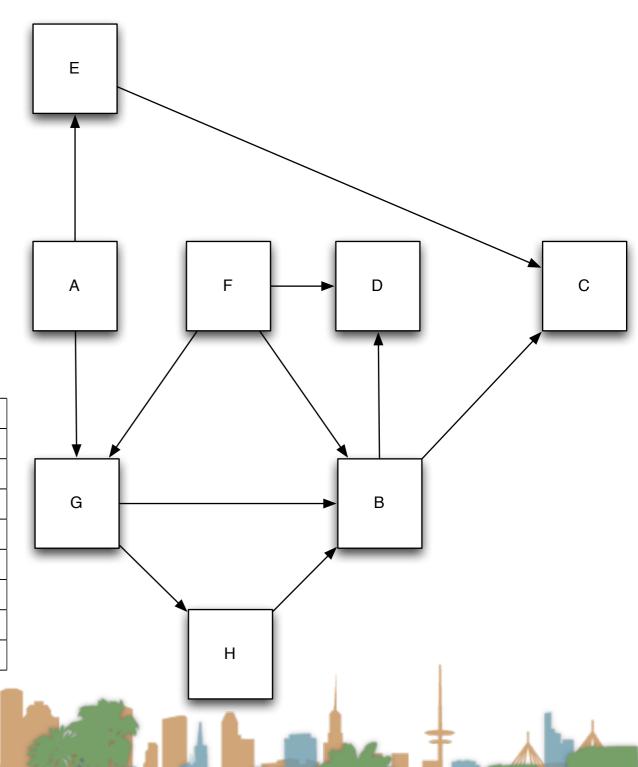
PageRank

- PageRank is the long term visit rate of a random walk on the graph.
- With teleports

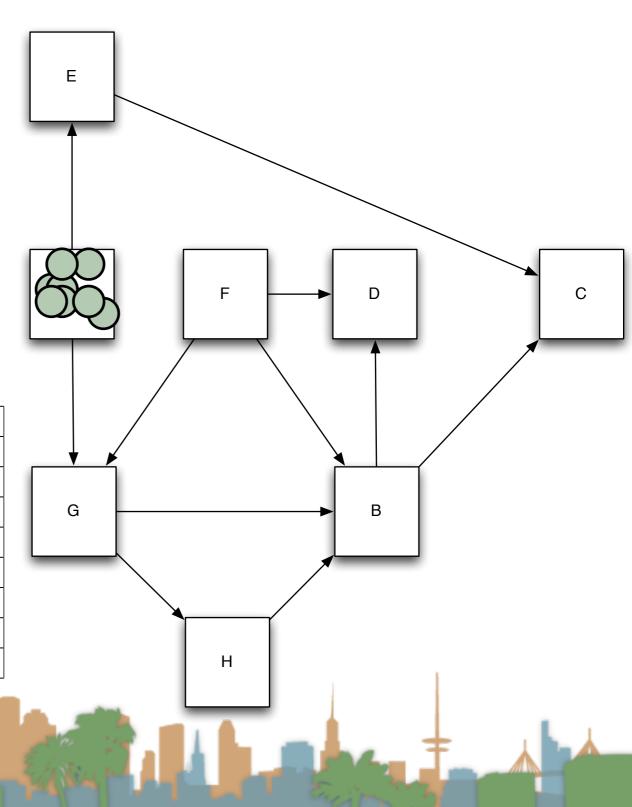




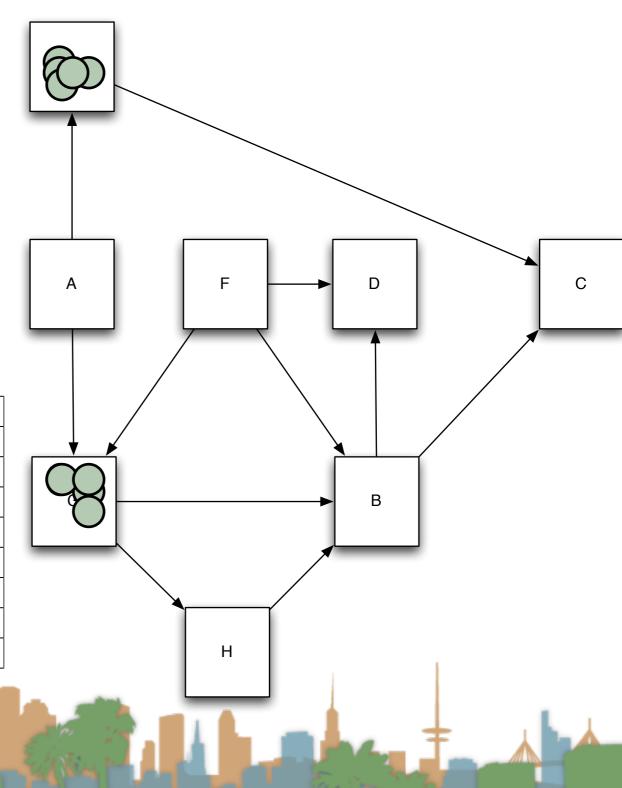
	A	B	C	D	E	F	G	H
\overline{A}	0	0	0	0	0.5	0	0.5	0
\overline{B}	0	0	0.5	0.5	0	0	0	0
C	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0



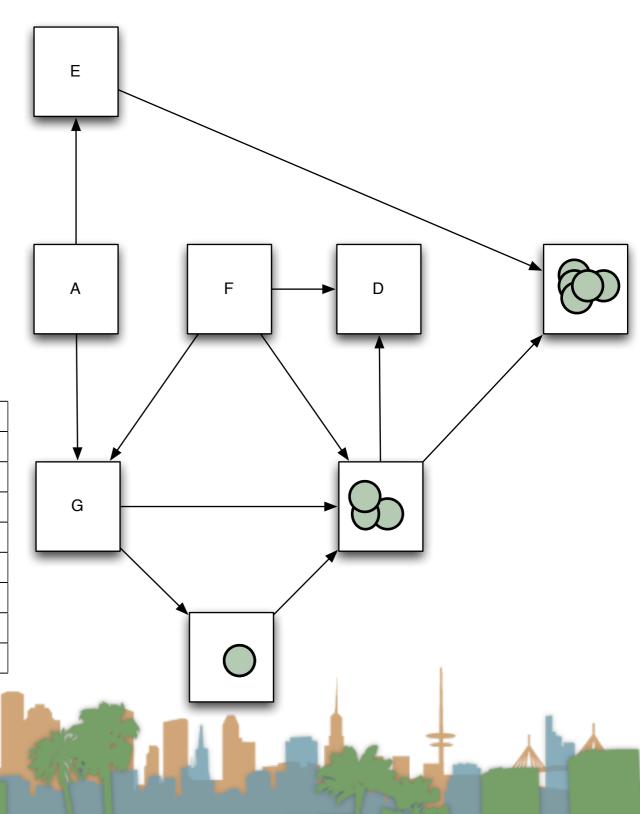
	A	B	C	D	E	F	G	H
\overline{A}	0	0	0	0	0.5	0	0.5	0
\overline{B}	0	0	0.5	0.5	0	0	0	0
\overline{C}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0



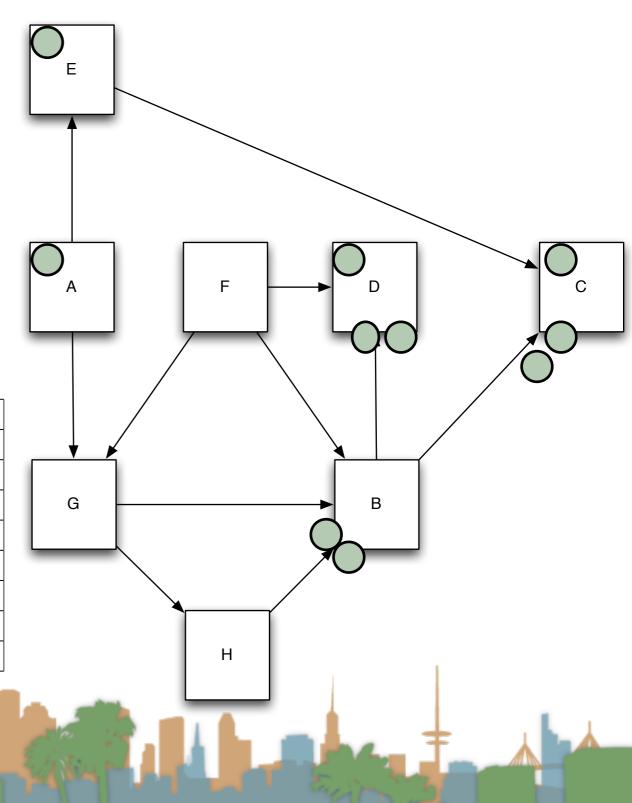
	A	B	C	D	E	F	G	H
\overline{A}	0	0	0	0	0.5	0	0.5	0
\overline{B}	0	0	0.5	0.5	0	0	0	0
\overline{C}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0



	A	B	C	D	E	F	G	H
\overline{A}	0	0	0	0	0.5	0	0.5	0
\overline{B}	0	0	0.5	0.5	0	0	0	0
\overline{C}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0



	A	B	C	D	E	F	G	H
\overline{A}	0	0	0	0	0.5	0	0.5	0
\overline{B}	0	0	0.5	0.5	0	0	0	0
\overline{C}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0



	A	B	C	D	E	F	G	H
\overline{A}	0	0	0	0	0.5	0	0.5	0
\overline{B}	0	0	0.5	0.5	0	0	0	0
\overline{C}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{D}	0.125	0.125	0.125	0.125	0.125	0.125	0.125	0.125
\overline{E}	0	0	1.0	0	0	0	0	0
\overline{F}	0	0.33	0	0.33	0	0	0.33	0
\overline{G}	0	0.5	0	0	0	0	0	0.5
\overline{H}	0	1.0	0	0	0	0	0	0

